IN THE CLAIMS:

Following is the listing of pending claims in the present application.

1(Original).   A method of determining error magnitudes in Reed-Solomon decoding, wherein a vector of v syndromes E_i and v error locations l_j are determined from a received codeword, and error magnitudes e_{l_j} at the v error locations can be determined from the equation

$$E_i = \sum_{j=1}^{v} e_{l_j} a^{il_j}$$, where a is a primitive of the codeword, comprising the steps of:

triangularizing a $v \times v$ Vandermonde matrix of the elements a^{il_j} to generate elements of a matrix $\mathbf{V}$;

generating a syndrome vector $\mathbf{W}$ of syndromes E_i, adjusted for the triangularization of matrix $\mathbf{V}$;

generating a solution to an equation of a form $\mathbf{V}x\,\mathbf{M}=\mathbf{W}$, where $\mathbf{M}$ is a vector of the error magnitudes e_{l_j} and $\mathbf{V}x$ is a vector of matrix $\mathbf{V}$, having a single unknown error magnitude;

substituting to create other equations of the form $\mathbf{V}x\,\mathbf{M}=\mathbf{W}$ having a single unknown that can be solved for a respective error magnitude.

2(Original).   The method of claim 1 wherein said triangularizing step comprises the step of recursively generating vectors of $\mathbf{V}$.

3(Original).   The method of claim 2 wherein said recursively generating step comprises the steps of:
setting a first vector $\mathbf{V}(1)$ of matrix $\mathbf{V}$; and
generating subsequent vectors n, $2 \leq n \leq v$, as:
$$\mathbf{V}(n)=(\mathbf{V}(1) + R(A(n\text{-}1))_{v\text{-}n+1})\mathbf{V}(n\text{-}1)$$
where $A(n)$ is equal to a^{l_n} and $R(A(n))_m$ is a vector having $A(n)$ replicated m times.

4(Original).   The method of claim 3 wherein said step of setting the first vector comprises setting the first vector $\mathbf{V}(1)$ to $\{A(1)\ \ A(2)\ \ \ldots\ \ A(v)\}$.

5(Original).   The method of claim 1 wherein said step of generating a syndrome vector comprises the step of recursively generating elements of **W**.

6(Original).   The method of claim 5 wherein said step of recursively generating elements of **W** comprises the steps of:

for each element **W**(n):

generating a vector T(n)=R(A(n))$_n$*T(n-1) + T(n-1)<<1, where R(A(n))$_m$ is a vector having A(n) replicated m times and is T(n-1)<<1 is a previous value of T, left-shifted and right-filled with a "0";

generating a vector U(n)=T(n-1)*{E(n) E(n-1) ... E1} and

computing **W**(n) as the sum of the elements of U(n).

7(Original).   A method of Reed-Solomon decoding, comprising the steps of:

generating a vector of v syndromes E_i from a received codeword;

generating v error locations l_j from the received codeword,

determining error magnitudes e_{l_j} at the v error locations from the equation

$$E_i = \sum_{j=1}^{v} e_{l_j} a^{il_j}$$, where a is a primitive of the codeword by:

triangularizing a $v \times v$ Vandermonde matrix of the elements a^{il_j} to generate elements of a matrix **V**;

generating a syndrome vector **W** of syndromes E_i, adjusted for the triangularization of matrix **V**;

generating a solution to an equation of a form **V**x **M**=**W**, where **M** is a vector of the error magnitudes e_{l_j} and **V**x is a vector of matrix **V**, having a single unknown error magnitude;

substituting to create other equations of the form **V**x **M**=**W** having a single unknown that can be solved for a respective error magnitude..

8(Original).   The method of claim 7 wherein said triangularizing step comprises the step of recursively generating vectors of **V**.

9(Original).   The method of claim 8 wherein said recursively generating step comprises the steps of:

setting a first vector $V(1)$ of matrix V; and

generating subsequent vectors n, $2 \le n \le v$, as:

$$V(n)=(V(1) + R(A(n\text{-}1))_{v\text{-}n+1})V(n\text{-}1)$$

where $A(n)$ is equal to a^{l_n} and $R(A(n))_m$ is a vector having $A(n)$ replicated m times.

10(Original).   The method of claim 9 wherein said step of setting the first vector comprises setting the first vector $V(1)$ to $\{A(1) \quad A(2) \quad \ldots \quad A(v)\}$.

11(Original).   The method of claim 7 wherein said step of generating a syndrome vector comprises the step of recursively generating elements of W.

12(Original).   The method of claim 7 wherein said step of recursively generating elements of W comprises the steps of:

for each element $W(n)$:

generating a vector $T(n)=R(A(n))_n*T(n\text{-}1) + T(n\text{-}1)<<1$, where $R(A(n))_m$ is a vector having $A(n)$ replicated m times and is $T(n\text{-}1)<<1$ is a previous value of T, left-shifted and right-filled with a "0";

generating a vector $U(n)=T(n\text{-}1)*\{E(n) \quad E(n\text{-}1) \quad \ldots \quad E1\}$ and

computing $W(n)$ as the sum of the elements of $U(n)$.

13(Original).   A Reed-Solomon decoder comprising:

circuitry for generating a vector of v syndromes E_i from a received codeword;

circuitry for generating v error locations l_j from the received codeword,

circuitry for determining error magnitudes e_{l_j} at the v error locations from the equation

$$E_i = \sum_{j=1}^{v} e_{l_j} a^{il_j},$$ where a is a primitive of the codeword by the operations of:

triangularizing a vxv Vandermonde matrix of the elements a^{il_j} to generate elements of a matrix V;

generating a syndrome vector $\mathbf{W}$ of syndromes E_i, adjusted for the triangularization of matrix $\mathbf{V}$;

generating a solution to an equation of a form $\mathbf{V}x\ \mathbf{M}=\mathbf{W}$, where $\mathbf{M}$ is a vector of the error magnitudes e_{l_j} and $\mathbf{V}x$ is a vector of matrix $\mathbf{V}$, having a single unknown error magnitude;

substituting to create other equations of the form $\mathbf{V}x\ \mathbf{M}=\mathbf{W}$ having a single unknown that can be solved for a respective error magnitude.

14(Original). The Reed-Solomon decoder of claim 13 wherein said circuitry for determining error magnitudes comprises circuitry for recursively generating vectors of $\mathbf{V}$.

15(Original). The Reed-Solomon decoder of claim 14 wherein said circuitry for recursively generating vectors comprises circuitry for:

setting a first vector $\mathbf{V}(1)$ of matrix $\mathbf{V}$; and

generating subsequent vectors n, $2 \le n \le v$, as:

$$V(n)=(V(1) + R(A(n\text{-}1))_{v\text{-}n+1})V(n\text{-}1)$$

where $A(n)$ is equal to a^{l_n} and $R(A(n))_m$ is a vector having $A(n)$ replicated m times.

16(Original). The Reed-Solomon decoder of claim 15 wherein said circuitry for determining error magnitudes sets the first vector $\mathbf{V}(1)$ to $\{A(1)\ A(2)\ \dots\ A(v)\}$.

17(Original). The Reed-Solomon decoder of claim 13 wherein said circuitry for determining error magnitudes generates a syndrome vector by recursively generating elements of $\mathbf{W}$.

18(Original). The Reed-Solomon decoder of claim 13 wherein said circuitry for generating error magnitudes recursively generates elements of $\mathbf{W}$ by:

for each element $\mathbf{W}(n)$:

generating a vector $T(n)=R(A(n))_n * T(n\text{-}1) + T(n\text{-}1)<<1$, where $R(A(n))_m$ is a vector having $A(n)$ replicated m times and is $T(n\text{-}1)<<1$ is a previous value of T, left-shifted and right-filled with a "0";

generating a vector $U(n)=T(n-1)*\{E(n) \ E(n-1) \ \ldots \ E1\}$ and computing $W(n)$ as the sum of the elements of $U(n)$.